

Optimized Computation of the Additive and FF heuristics

Bachelor Thesis
Cyrill Imahorn

Motivation

- Planning Task are important
- Example: Go
- Planning Task use heuristics
- Fast Downward

Planning Task

- Describes a Planning Problem
- Is a 4-tuple $\Pi = \langle V, I, O, \delta \rangle$:
 - Variables V
 - Initial state I
 - Operators O
 - Goal conditions δ

Operators

- Change a partial assignment of V
- Three main characteristics:
 - Preconditions
 - Effect
 - Cost

Heuristic

- Estimates how “good” a state is
- Simplify planning task
- Delete relaxation heuristics (Additive and FF heuristic)
 - Can be solved in polynomial time
 - Can be solved with a directed graph

Graph

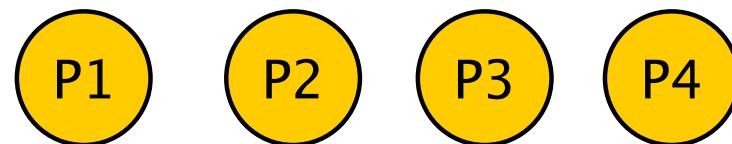
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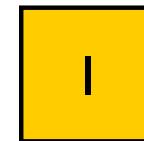
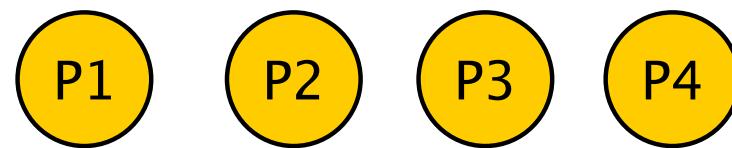
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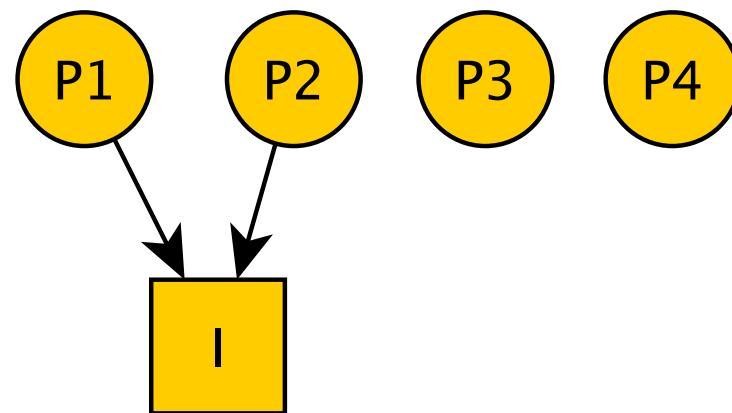
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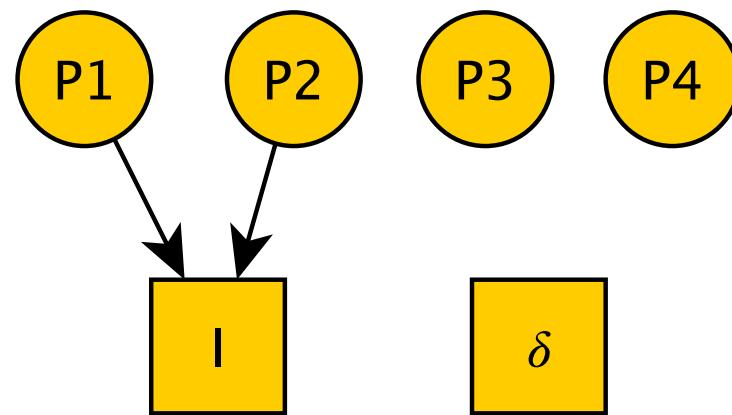
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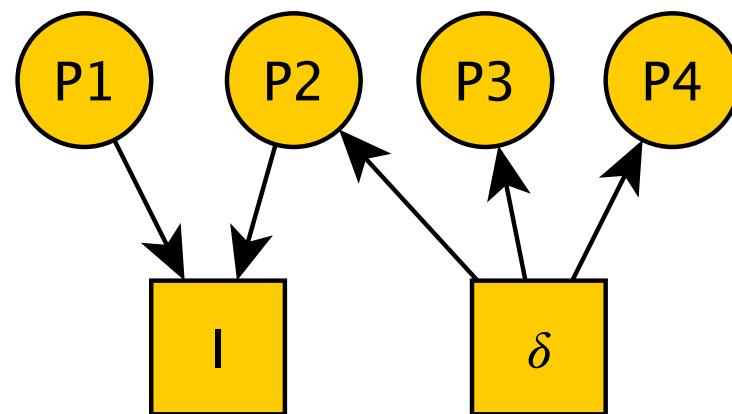
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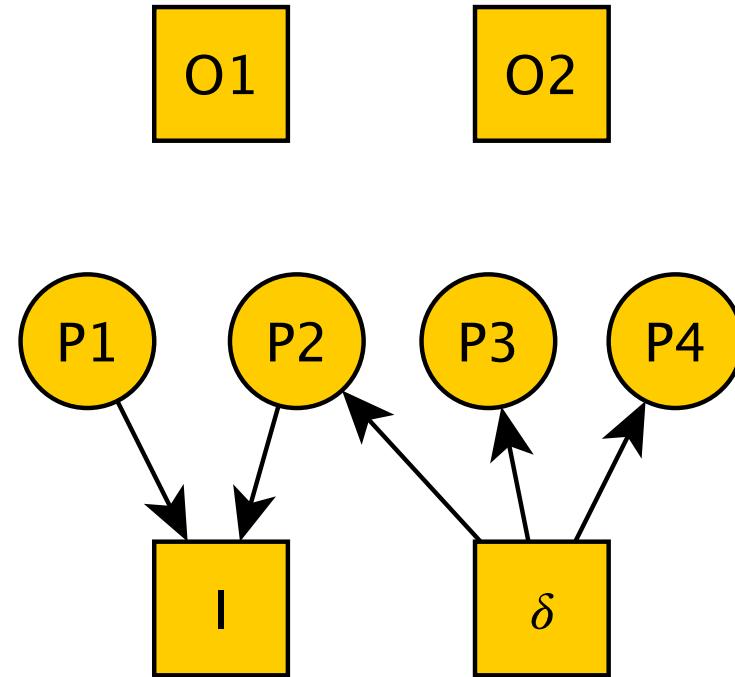
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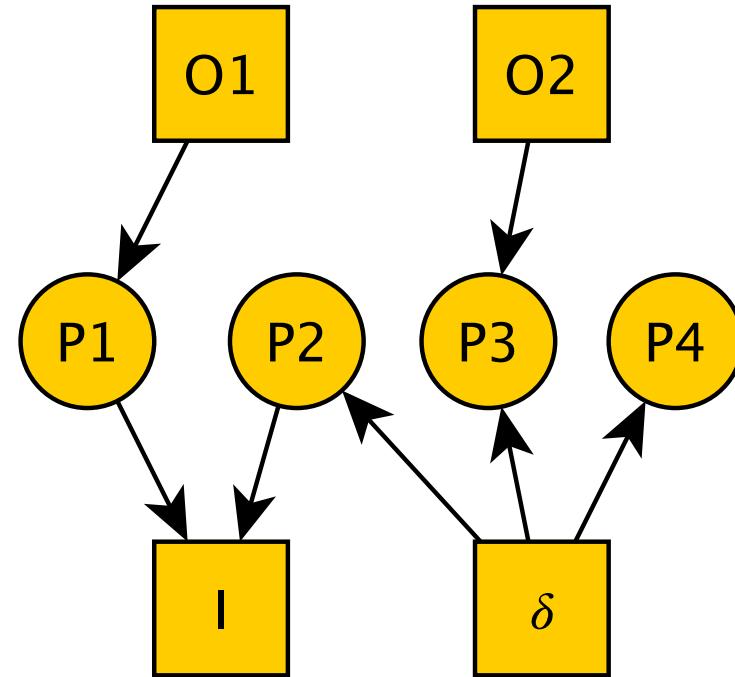
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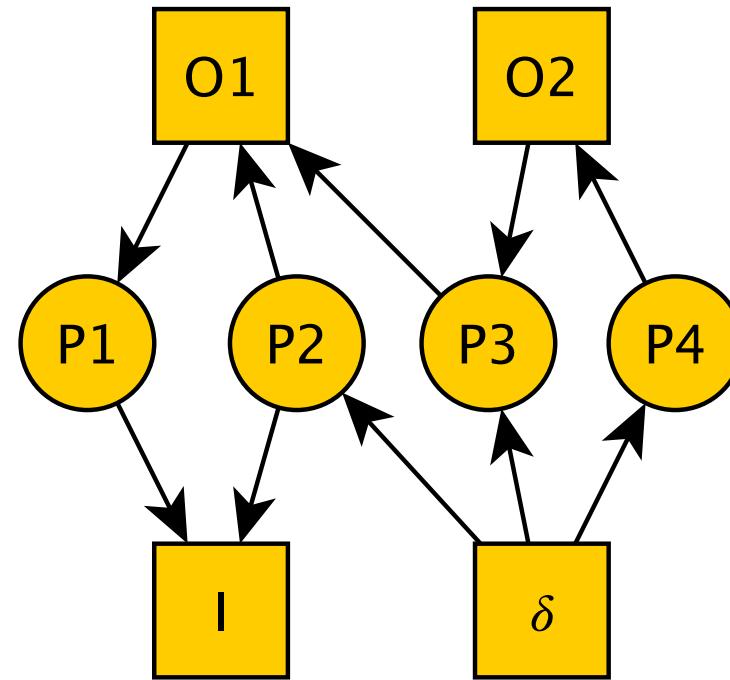
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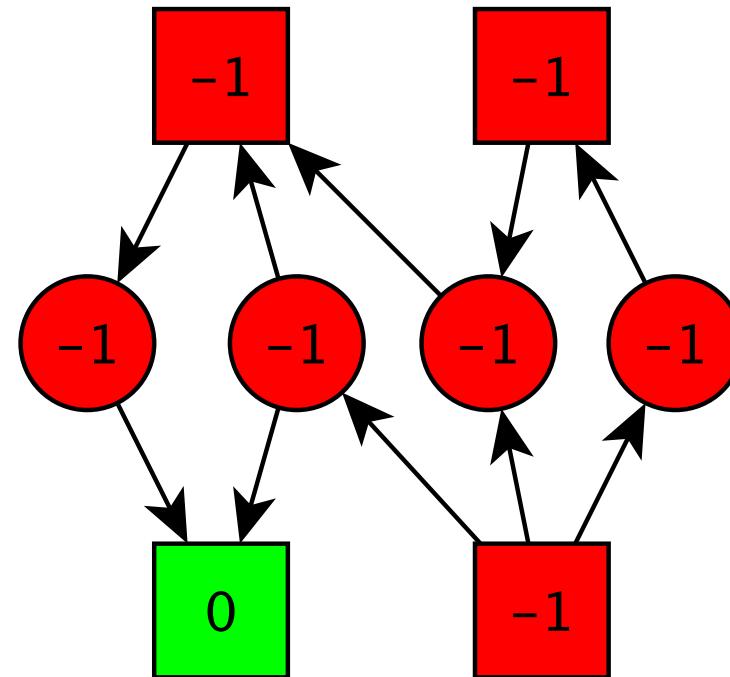
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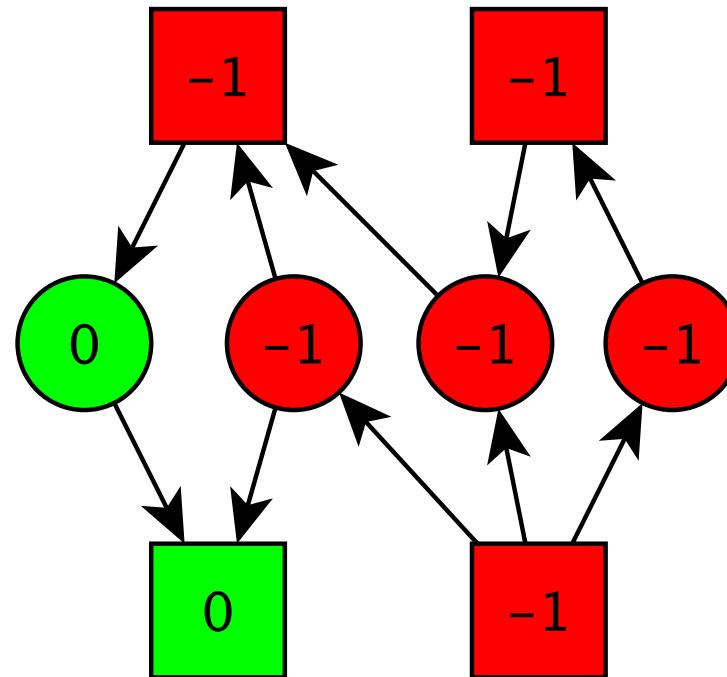
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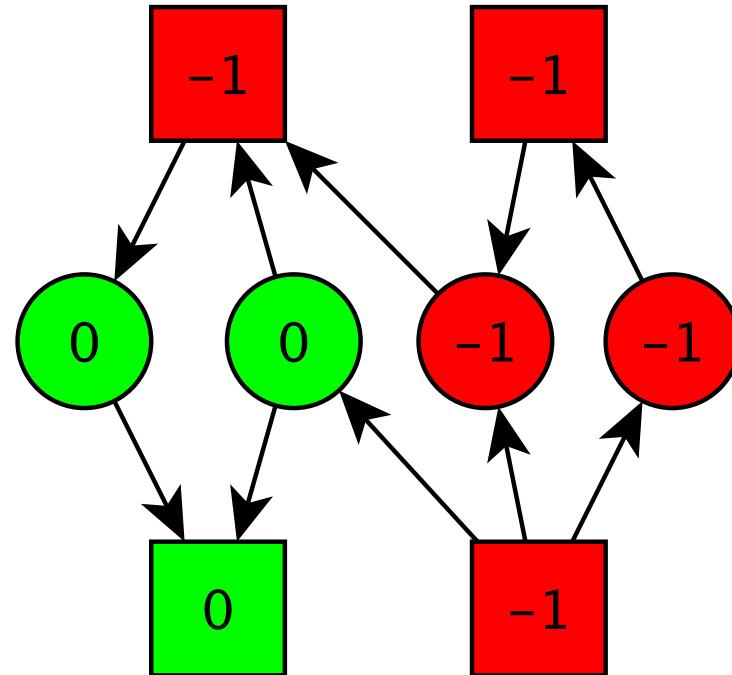
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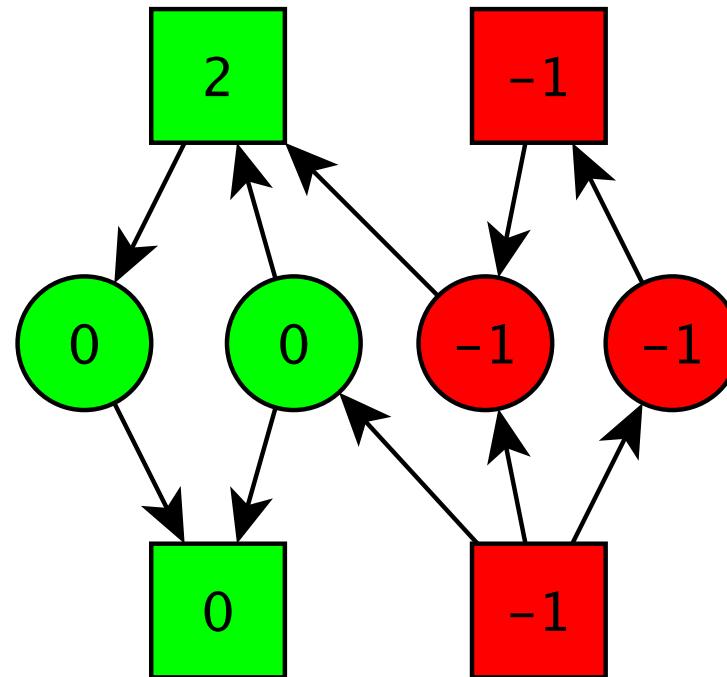
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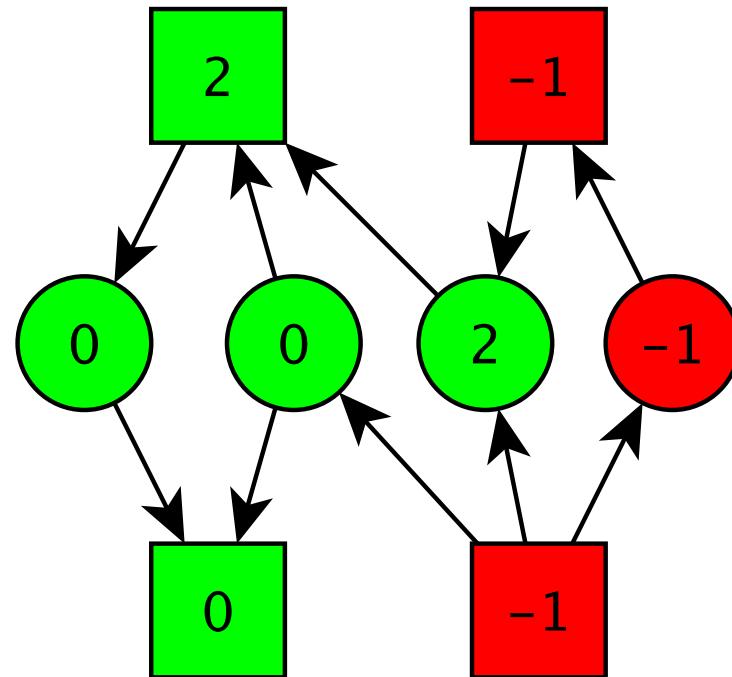
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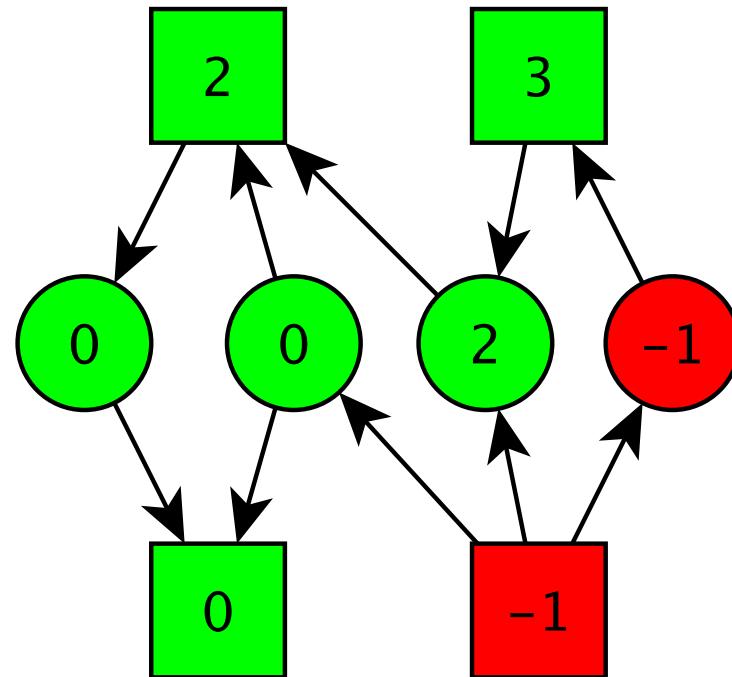
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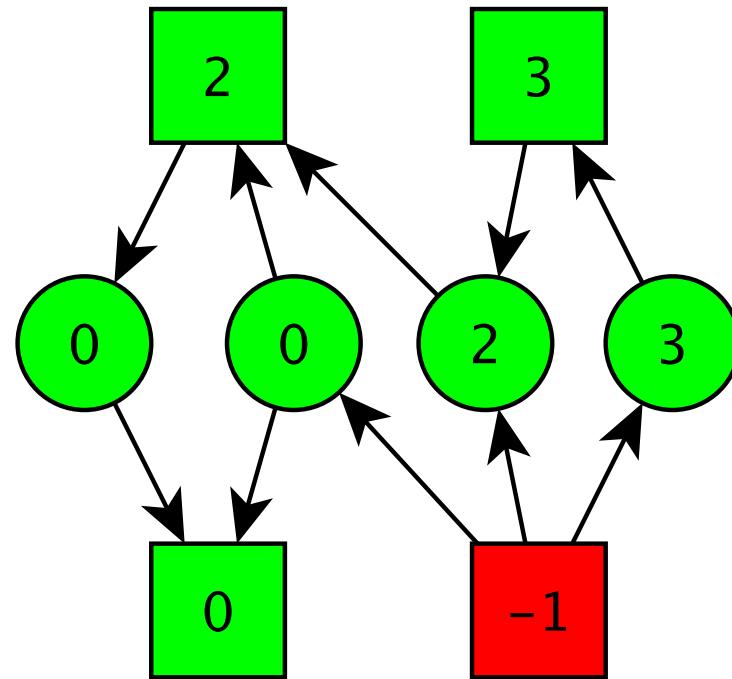
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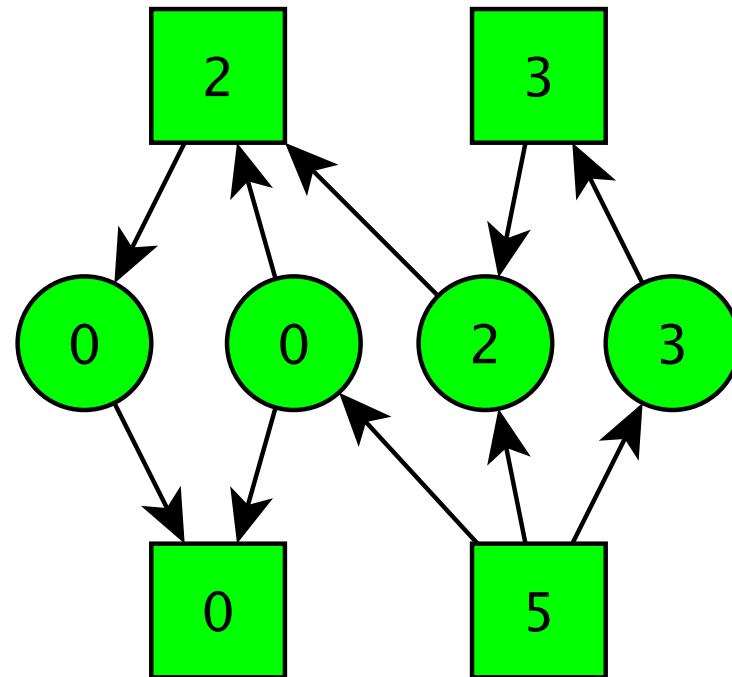
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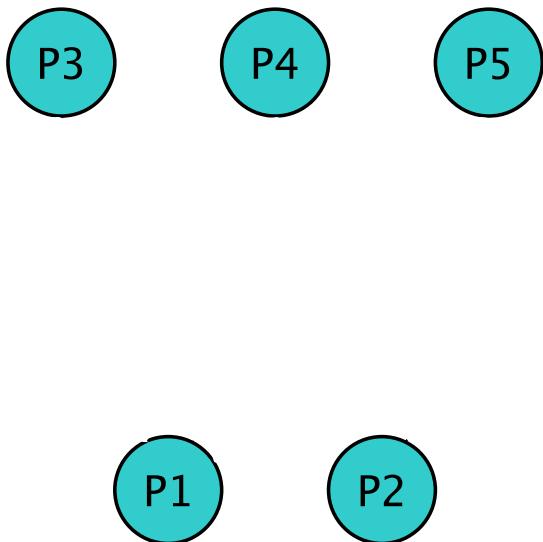


Original Implementation (Fast Downward)

- Operators are split in unary operators
- Easy to construct
- Simple handling of conditional effects
- Many edges

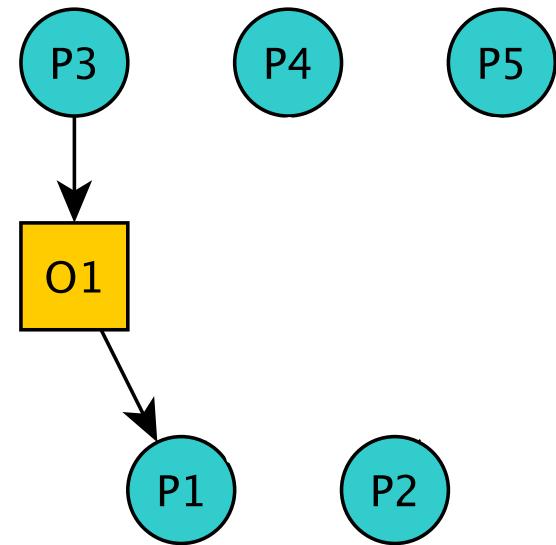
Example

- One operator
- *Precondition* $\{P_1\}$
- *Effect* $\{P_3, P_4\}$
- *Conditional effect* $\{P_5\}$
- *With effect condition* $\{P_2\}$



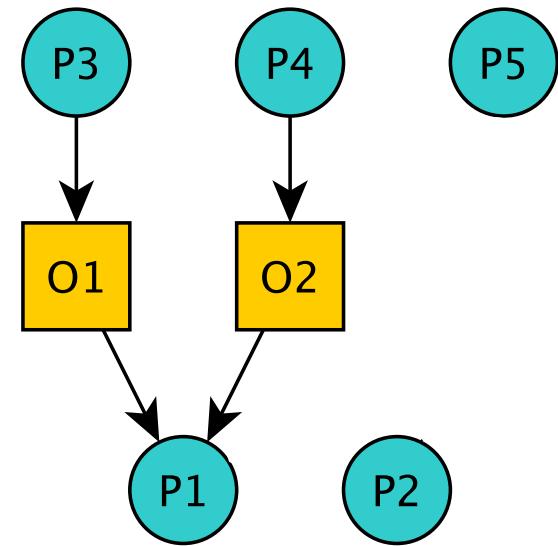
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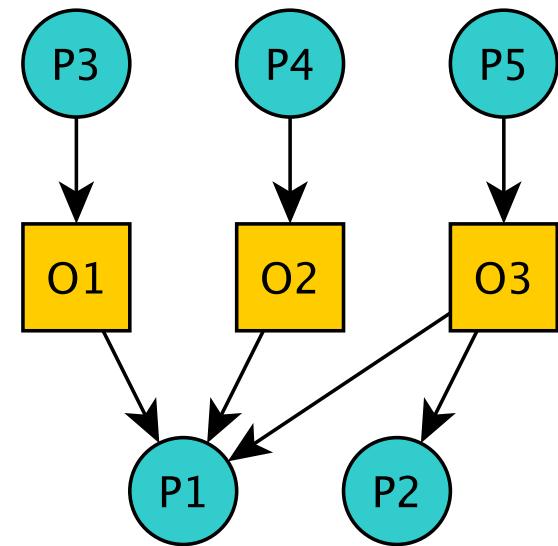
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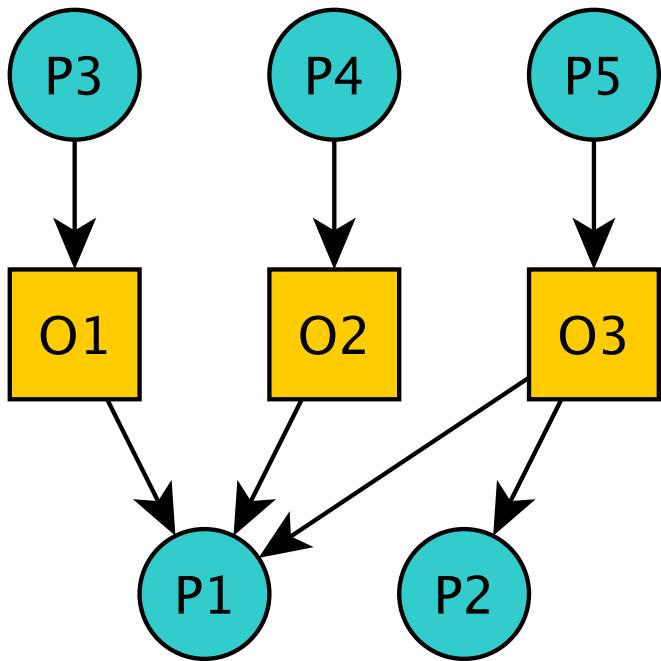
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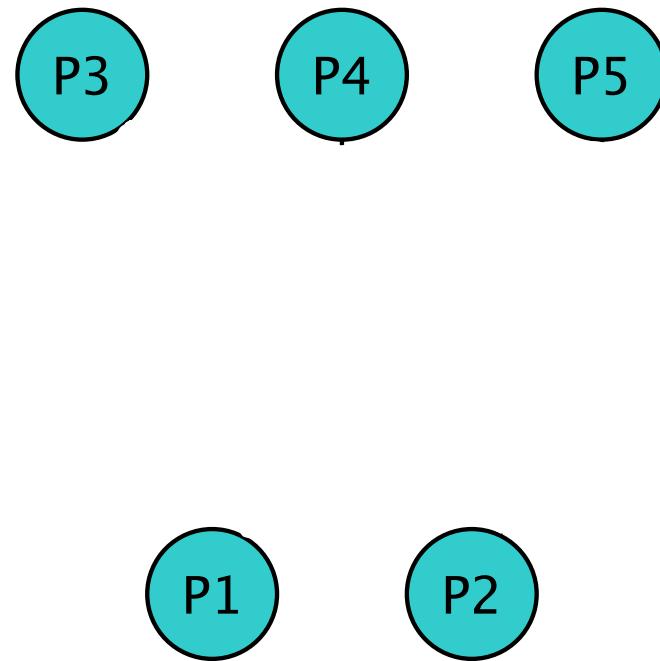
Idea to optimize

- Reduce redundancy
- All effects of an operator in one node
- Conditional effects in separate node

Compare Graphs

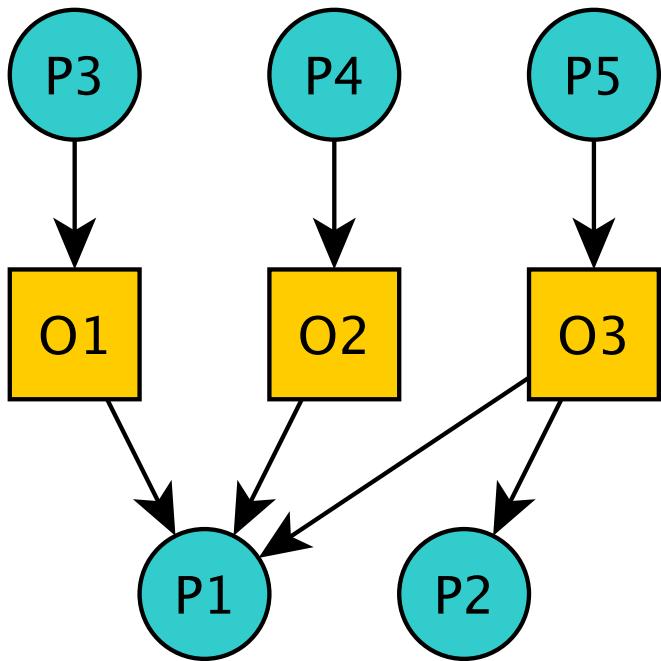


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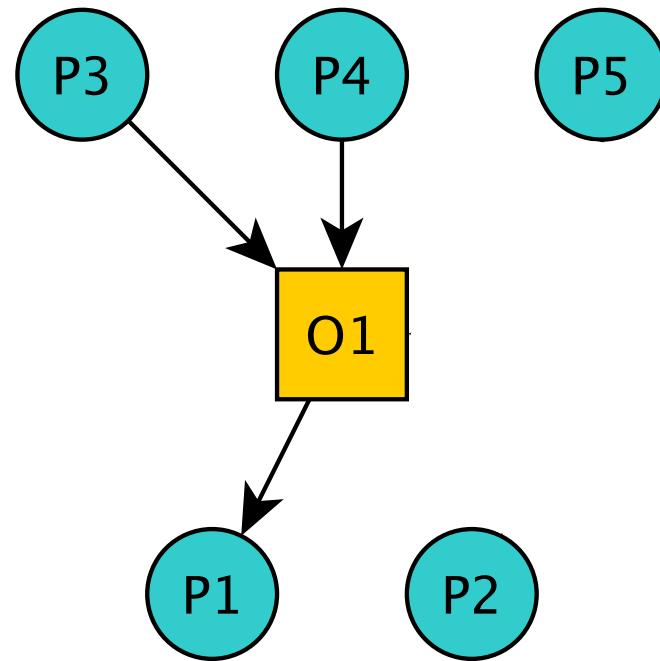


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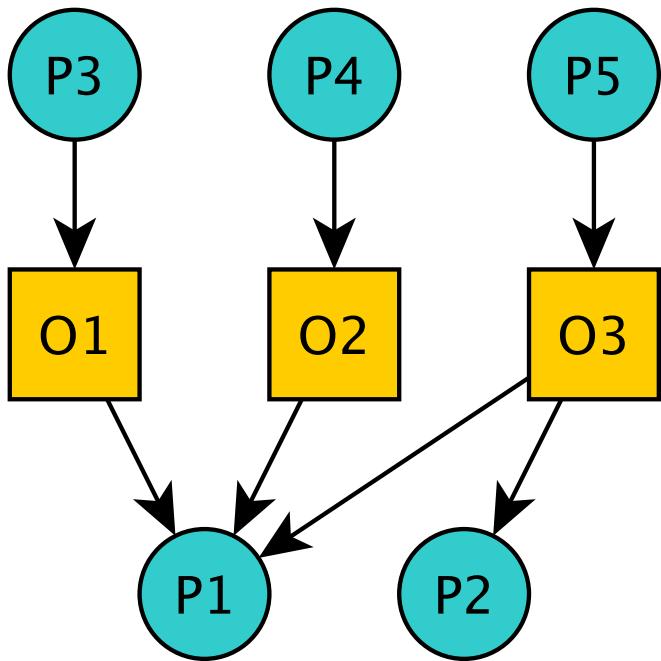


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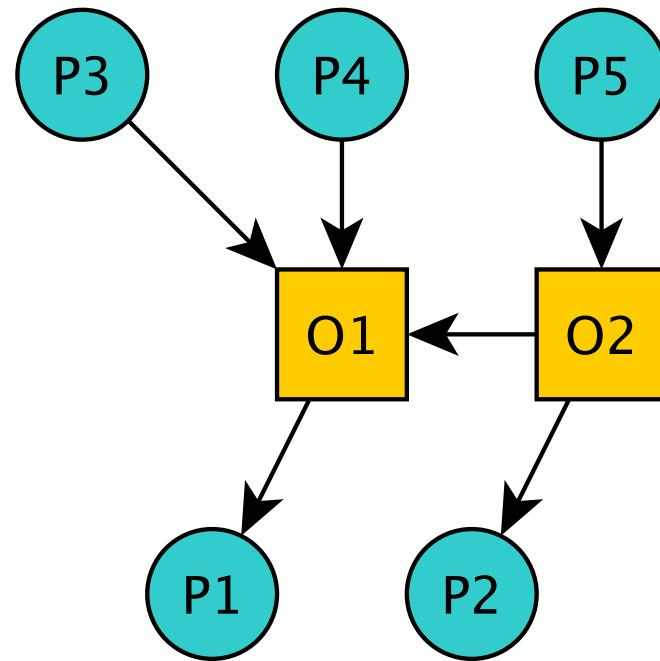


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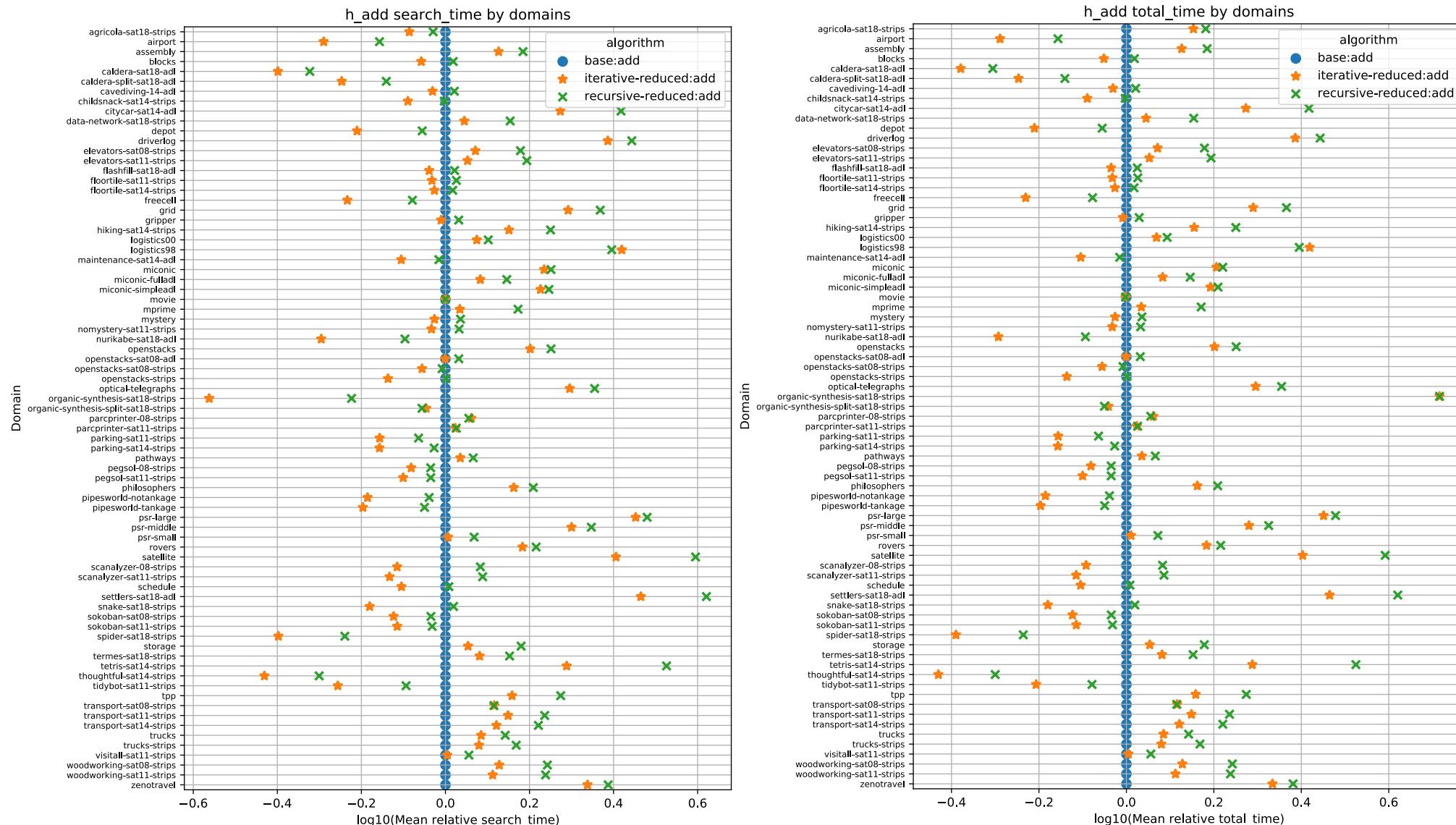


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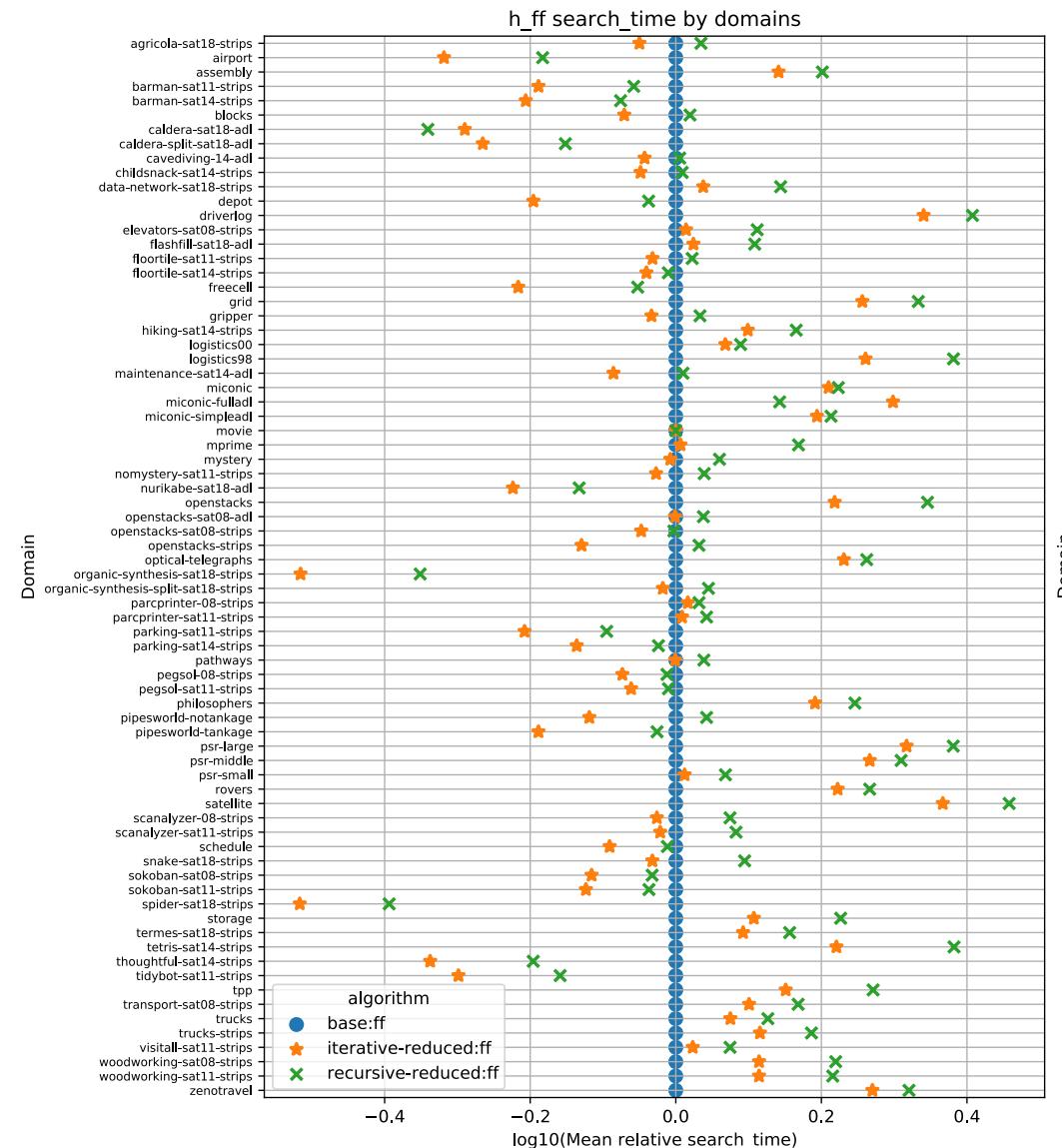
Results Overall

	Implementation	Coverage	R_s	R_T
Additive	Base	1817	1.000	1.000
	Iterative-reduced	1810	1.008	1.057
	Recursive-reduced	1793	1.202	1.237
FF	Base	1760	1.000	1.000
	Iterative-reduced	1771	0.958	1.005
	Recursive-reduced	1754	1.119	1.154
Out of		2742		

Results by Domain (Additive)



Results by Domain (FF)



Conclusion

- Overall about as fast as the original
- Highly Domain depended
- Original is very well implemented

Future Work

- This thesis focused on operator individually
- Promising to apply over more then one operator

