Our compositional theory of factored transformations allows understanding merge-and-shrink in terms of the properties of its components.

- almost entirely new theory
- define desirable properties of transformations
- heuristic properties induced by transformation properties
- complete characterization of the conditions under which transformations have properties
- ▶ first theory on pruning
- first full formal account of factored mappings
- complete characterization of merge-and-shrink transformations





(b) Arbitrary transformation (not an abstraction).



(d) Induced abstraction (not exact).

- abstraction (conservative + induced)
- local heuristics are preserved if h-preserving

exact

Label Reduction: Properties

- conservative but not induced or refinable in general
- exact iff induced/refinable
- **coNP**-complete to determine if label reduction is induced/refinable
- \blacktriangleright atomic label reduction exact iff based on Θ -combinability

- leads to inadmissible heuristics in general
- exact if keeping exactly the backward-reachable states
- the forward-reachable or alive states



Merge-and-Shrink: A Compositional Theory of **Transformations of Factored Transition Systems** Silvan Sievers and Malte Helmert University of Basel, Switzerland



Example of Transformations



(a) Original transition system.



(c) Abstraction (not induced).



Shrinking: Properties

exact (abstraction + refinable) iff based on bisimulation

Merging: Properties

Pruning: Properties

forward-admissible/forward-perfect heuristics if keeping exactly