

# Improved Pattern Selection for PDB Heuristics in Classical Planning (Extended Abstract)

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## iPDB (Haslum et al. 2007)

- ▶ State-of-the-art pattern selection algorithm
- ▶ Selects patterns (sets of variables) using hill-climbing search in the space of pattern collections
- ▶ *Canonical heuristic* of resulting pattern collection used in A\*-search

## Local Maxima in iPDB

- ▶ Hill-climbing can terminate early in local maximum
  - ▶ No *extension with one variable* has sufficient improvement
  - ▶ Well-known but unaddressed problem (already pointed out by Haslum et al. (2007))

## iPDB with Variable Neighborhood Search

- ▶ Addresses the problem of local maxima
- ▶ Based on **variable neighborhood search** (Mladenovic and Hansen 1997)
- ▶ Looks for successor collections of increasing size
- ▶ Extends existing candidate patterns by further causally related variables
- ▶ Resets candidate collection once an improving candidate is found
- ▶ Anytime algorithm: runs as long as resources are available
  - ▶ We limit resources to stop the hill-climbing

## Pseudocode (iPDB)

```
function generate-candidates( $\mathcal{P}$ ) :
    Candidates :=  $\emptyset$ 
    for  $P \in \mathcal{P}$  :
        for  $V \in P$  :
            for  $V' \in \text{causally-related}(V) \setminus P$  :
                Candidates := Candidates  $\cup$   $\{P \cup \{V'\}\}$ 
    return Candidates

function iPDB() :
     $\mathcal{P} := \{\{V_g\} \mid V_g \text{ is a goal variable}\}$ 
    Candidates := generate-candidates( $\mathcal{P}$ )
    while True :
         $S := \text{generate-samples}(1000)$ 
        for  $P_C \in \text{Candidates}$  :
            improvement[ $P_C$ ] :=  $|\{s \in S \mid h^{P \cup \{P_C\}}(s) > h^P(s)\}|$ 
         $P_{\text{best}} := \text{Candidate with highest improvement}$ 
        if improvement[ $P_{\text{best}}$ ] > threshold :
             $\mathcal{P} := \mathcal{P} \cup \{P_{\text{best}}\}$ 
            Candidates := generate-candidates( $\mathcal{P}$ )
        else :
            return  $h^{\mathcal{P}}$ 
```

## Pseudocode (iPDB-VNS)

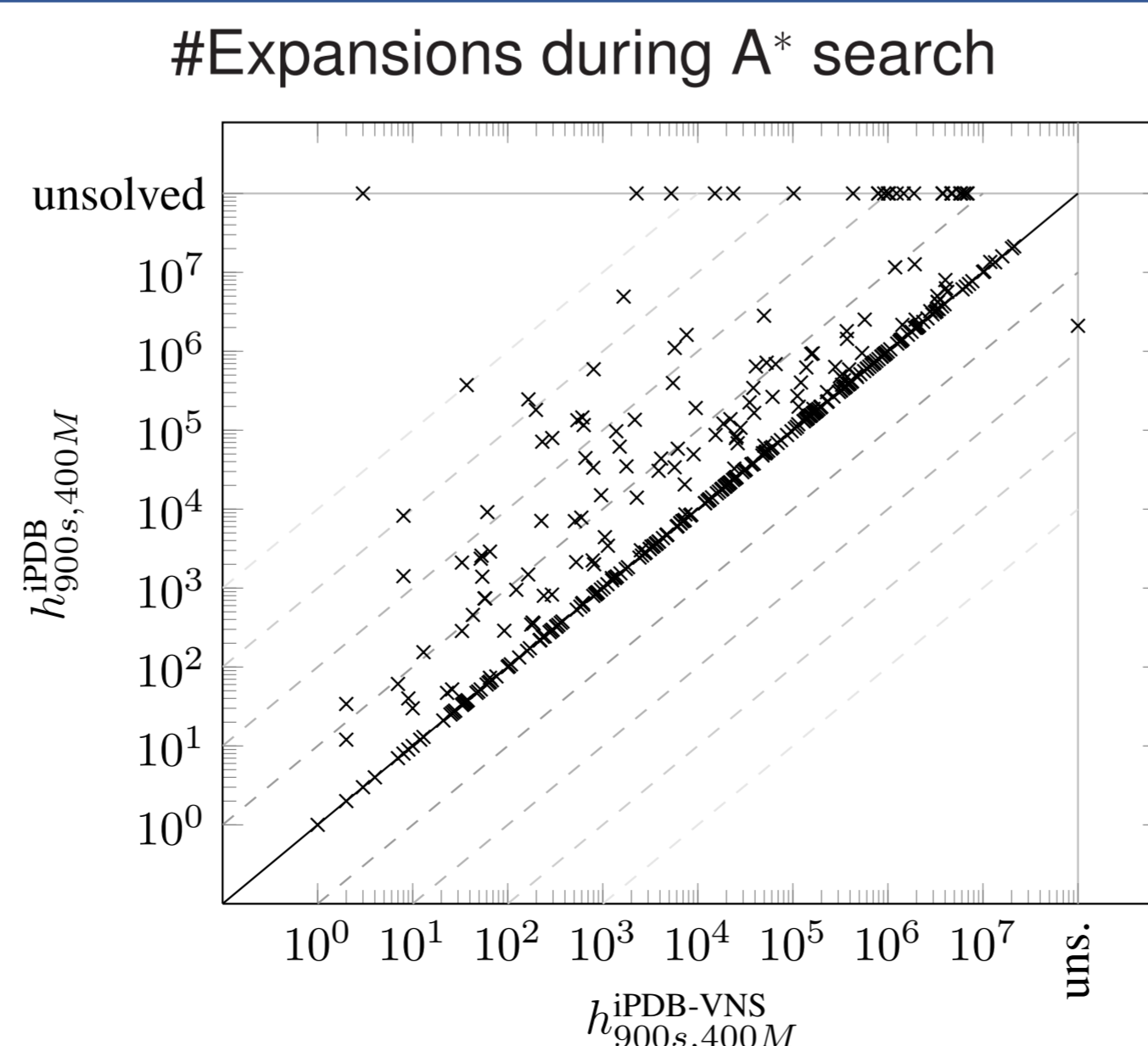
```
function generate-candidates( $\mathcal{P}$ ) :
    Candidates :=  $\emptyset$ 
    for  $P \in \mathcal{P}$  :
        for  $V \in P$  :
            for  $V' \in \text{causally-related}(V) \setminus P$  :
                Candidates := Candidates  $\cup$   $\{P \cup \{V'\}\}$ 
    return Candidates

function iPDB-VNS() :
     $\mathcal{P} := \{\{V_g\} \mid V_g \text{ is a goal variable}\}$ 
    Candidates := generate-candidates( $\mathcal{P}$ )
    while True :
         $S := \text{generate-samples}(1000)$ 
        for  $P_C \in \text{Candidates}$  :
            improvement[ $P_C$ ] :=  $|\{s \in S \mid h^{P \cup \{P_C\}}(s) > h^P(s)\}|$ 
         $P_{\text{best}} := \text{Candidate with highest improvement}$ 
        if improvement[ $P_{\text{best}}$ ] > threshold :
             $\mathcal{P} := \mathcal{P} \cup \{P_{\text{best}}\}$ 
            Candidates := generate-candidates( $\mathcal{P}$ )
        else :
            Candidates := generate-candidates(Candidates)
            if time or memory limit exceeded :
                return  $h^{\mathcal{P}}$ 
```

## Experimental Evaluation

- ▶ Evaluated on IPC tasks
  - ▶ optimal tracks 1998–2011
- ▶ Resource limits
  - ▶ Very important to limit both time and memory
  - ▶ Robust to parameter changes
- ▶ iPDB-VNS improves iPDB
  - ▶ Heuristic quality
  - ▶ Number of solved tasks
- ▶ iPDB-VNS is competitive with LM-cut

## Heuristic Quality



## Solved Tasks

	$h_{\infty, \infty}^{\text{iPDB}}$	$h_{900s, 400M}^{\text{iPDB}}$	$h_{900s, 400M}^{\text{iPDB-VNS}}$	$h_{\text{LM-cut}}$
Airport (50)	25	<b>38</b>	<b>38</b>	28
Depot (22)	8	8	<b>11</b>	7
Elevators (50)	36	36	<b>43</b>	40
Floortile (20)	2	2	4	<b>7</b>
Miconic (150)	55	55	55	<b>141</b>
Parprinter (50)	22	28	28	<b>31</b>
TPP (30)	6	6	<b>8</b>	7
Transport (50)	17	17	<b>24</b>	17
Trucks (30)	8	8	<b>10</b>	<b>10</b>
Woodworking (50)	13	23	23	<b>29</b>
<b>Sum (502)</b>	192	221	244	<b>317</b>
<b>Sum in other domains (894)</b>	474	473	<b>481</b>	452
<b>Total sum (1396)</b>	666	694	725	<b>769</b>
<b>Coverage score (in %)</b>	50.72	52.68	<b>55.45</b>	53.60