# Hitting Set Heuristics for Overlapping Landmarks

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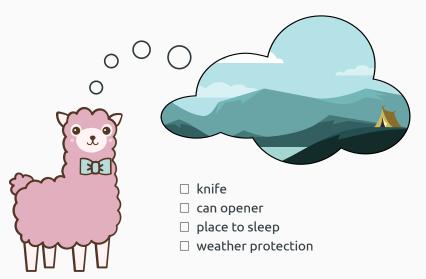
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## Planning a Camping Trip with LAMA



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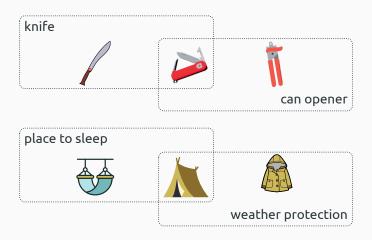


















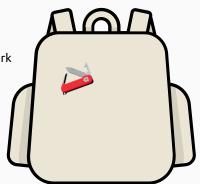
• cheapest item from every landmark







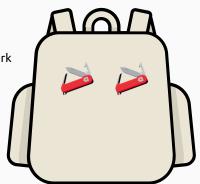
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- cheapest item from every landmark
- *h*<sup>LAMA</sup> = 17







- cheapest item from every landmark
- $h^{LAMA} = 17$
- That's more stuff than necessary!







- cheapest item from every landmark
- $h^{LAMA} = 17$
- That's more stuff than necessary!
- remove duplicates:  $h^{HS}=15$







- 1. pick item with best  $\frac{cost}{\#landmarks}$  ratio
- 2. discard achieved landmarks
- 3. repeat until all landmarks achieved







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• 
$$h^{GHS} = 10$$

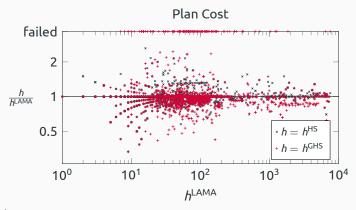


# **Greedy Best First Search**

	(total)	hLAMA	h <sup>HS</sup>	hGHS
Coverage	(2323)	1680	1742	1718

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# **Full LAMA Configurations**

- open lists for multiple heuristics
- preferred operators
- improve plans by restarting weighted A\* search

	Coverage	Score
$h^{LAMA}$	2056	1957.8
hHS	2052	1952.0
hGHS	2068	1987.3

score per task:  $0 \le \frac{c^*}{c} \le 1$ 

#### Summary

- overlapping landmarks express synergies
- hitting set heuristics exploit these synergies
- tradeoff between heuristic accuracy and computation time
- plan quality improves with more accurate heuristics in practice

#### **Hitting Set Problem**

#### **Definition**

#### Given:

- universe U
- set of sets  $S \subset 2^U$
- cost function cost:  $U \rightarrow \mathbb{R}^+_0$



*cost*( ≥> ) = 2

#### Problem:

- Find hitting set  $H \subseteq U$  s.t.  $H \cap S \neq \emptyset$  for all  $S \in S$ .
- minimal hitting set: no cheaper hitting set exists





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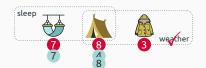




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$$h^{GHS} = 12$$

